

Applied Econometrics - Policy Evaluation 2

Note on Panel Data

- Consider again the panel data model using the `jtrain` dataset (job-training grants given to firms):

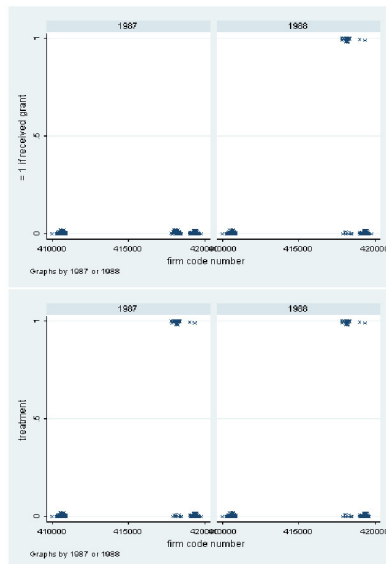
$$\ln \text{scrap}_{it} = \beta_0 + \delta_0 y88_t + \beta_1 \text{grant}_{it} + a_i + u_{it}, \quad t = 1, 2$$

- Compare this to the model we used for repeated cross sections:

$$E(Y) = \beta_0 + \beta_1 D_{\text{treatment}} + \beta_2 D_{\text{after}} + \beta_3 (D_{\text{after}} \cdot D_{\text{treatment}})$$

- Consider replicating this with panel data by creating a `treatment` variable which is 1 in both periods if the firm is “treated”.

Note on Panel Data



Note on Panel Data

- If we run fixed effects panel on this we get:

```
. xtreg lscrap d88 treatment interact,fe
Fixed-effects (within) regression      Number of obs   =      108
Group variable: fcode                 Number of groups =       54
R-sq:  within = 0.1392                 Obs per group:  min =        2
      between = 0.0049                   avg =          2.0
      overall = 0.0006                   max =          2
corr(u_i, Xb) = -0.0674                F(2, 52)        =       4.20
                                      Prob > F         =     0.0203
```

	lscrap	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
d88		-.0574357	.097206	-0.59	0.557	-.2524938 .1376224
treatment		(dropped)				
interact		-.3170579	.1638751	-1.93	0.058	-.6458975 .0117816
_cons		.5974341	.0553369	10.80	0.000	.4863924 .7084757
sigma_u		1.4833025				
sigma_e		.4066418				
rho		.93009745	(fraction of variance due to u_i)			

```
F test that all u_i=0:      F(53, 52) =      26.22      Prob > F = 0.0000
```

Note on Panel Data

- Compare this to our original result:

```
. xtreg lscrap d88 grant, fe
Fixed-effects (within) regression      Number of obs   =    108
Group variable: fcode                 Number of groups =     54
R-sq:  within = 0.1392                Obs per group:  min =     2
      between = 0.0049                  avg =           2.0
      overall = 0.0006                  max =           2
corr(u_i, Xb) = -0.0674                F(2, 52)        =     4.20
                                      Prob > F         =    0.0203
```

lscrap	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
d88	-.0574357	.097206	-0.59	0.557	-.2524938 .1376224
grant	-.3170579	.1638751	-1.93	0.058	-.6458975 .0117816
_cons	.5974341	.0553369	10.80	0.000	.4863924 .7084757

```
sigma_u | 1.4833025
sigma_e | .4066418
rho      | .93009745 (fraction of variance due to u_i)
F test that all u_i=0:   F(53, 52) = 26.42          Prob > F = 0.0000
```

Note on Panel Data

- We can compare the pooled regressions as well. This is the original result:

```
. regress lscrap d88 grant
```

Source	SS	df	MS			
Model	.810536068	2	.405268034	Number of obs =	108	
Residual	240.098947	105	2.28665664	F(2, 105) =	0.18	
Total	240.909484	107	2.2514905	Prob > F =	0.8378	
				R-squared =	0.0034	
				Adj R-squared =	-0.0156	
				Root MSE =	1.5122	

lscrap	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
d88	-.1889081	.3281441	-0.58	0.566	-.8395572 .461741
grant	.0566004	.43091	0.13	0.896	-.7978145 .9110152
_cons	.5974341	.2057802	2.90	0.005	.1894099 1.005458

Note on Panel Data

- And this is the result with the `treatment` dummy (which picks up the “group fixed effects” of those that are treated but is unable to control for firm specific fixed effects):

```
. regress lscrap d88 treatment interact
```

Source	SS	df	MS			
Model	2.52993689	3	.843312297	Number of obs =	108	
Residual	238.379547	104	2.29211103	F(3, 104) =	0.37	
Total	240.909484	107	2.2514905	Prob > F =	0.7763	
				R-squared =	0.0105	
				Adj R-squared =	-0.0180	
				Root MSE =	1.514	

	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
d88	-.0574357	.3619085	-0.16	0.874	-.7751139	.6602425
treatment	.3736583	.4314236	0.87	0.388	-.4818709	1.229187
interact	-.3170579	.6101251	-0.52	0.604	-1.526959	.892843
_cons	.4659617	.255908	1.82	0.072	-.0415134	.9734368

Repeated Cross Sections

Partial Compliance

- Suppose not all of the “treated” actually undergo treatment. For example, housing vouchers might not be used etc.
- Then we have a difference between the *intended* treatment group and the *actual* treatment group which may vary systematically.
- Let z be a dummy indicating that whether treatment was intended (i.e. a voucher was given)
- Let w be a dummy indicating whether the treatment was applied (i.e. voucher used)
- w may be correlated with the error (e.g. more motivated individuals more likely to use the voucher etc).

Repeated Cross Sections

Partial Compliance

- Then, if z was allocated randomly, we can use this as an instrument for w . Why is this a good instrument?
 - z will be correlated with w
 - z should not be correlated with the error (due to randomisation).
- Note that we will typically have data on both z and x .

Repeated Cross Sections

Partial Compliance

- We do IV in the usual manner e.g. for a simple case of one instrument:
 - Regress z on x and save fitted values
 - Use the fitted values in place of x in the main regression.

Repeated Cross Sections

Example

- Angrist (1990), *AER* 80(3). Looked at effect on earnings of enrolment in military.
- Problem: military enrolment is by choice and military only accepts certain types of individuals so entry is not random.
- Uses Vietnam War draft to circumvent these problems. Random lottery allocation (lowest numbers were drafted).
- Draft numbers used as an instrument since actual enrolment still dependent on physical requirements etc.
- Draft numbers correlated with enrolment but are random.

Interpreting Treatment Coefficients

Differing treatment effects

- The above methods assume that the effect of treatment is the same for all individuals (measured by the relevant coefficient).
- This might not be the case e.g. high cholesterol patients may benefit more from cholesterol reducing drugs etc.
- Two important cases:
 - 1 The treatment depends on a measurable attribute (a regressor)
 - 2 The treatment depends on some unobserved attribute (e.g. motivation)

Interpreting Treatment Coefficients

Measurable Heterogeneity

- The case of dependence on a measurable attribute is easy to handle.
- Create more interaction terms between the treatment variable and the regressors thought to influence treatment.
- Suppose sex is thought to influence the treatment. Then we have, for example,:

$$E(Y) = \beta_0 + \beta_1 D_{\text{treatment}} + \beta_2 D_{\text{after}} + \beta_3 (D_{\text{after}} \cdot D_{\text{treatment}}) \\ + \beta_4 (\text{female} \cdot D_{\text{treatment}} \cdot D_{\text{after}})$$

- How can you interpret these coefficients?
- (Note: Can be done with panel data too.)

Interpreting Treatment Coefficients

Unmeasurable Heterogeneity

- The case of unmeasurable heterogeneity is a bit more involved. Each individual may now have their own intercept and slope coefficients.
- In this case, what we estimate (consistently) is the **average treatment effect** *provided the treatment is randomly allocated*.
- If not (e.g. partial compliance), then we need to use a valid instrument as noted above but the interpretation is complex.

Interpreting Treatment Coefficients

Unmeasurable Heterogeneity

- In this case, what we estimate is a **local average treatment effect**.
- This is the average treatment effect for those individuals who have been treated and those that are like them.
- It does not reflect the treatment effect of individuals that are not treated (e.g. if those with less motivation do not use their vouchers the coefficient says nothing about these people)